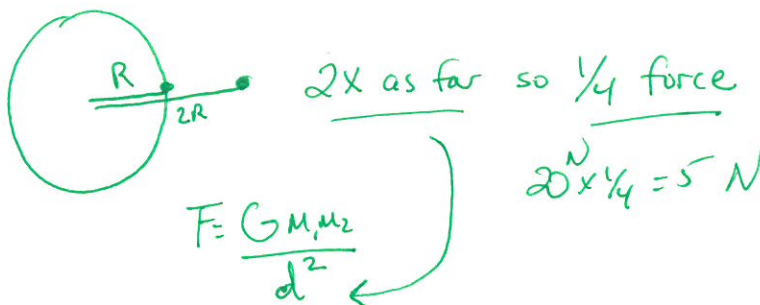


1. Isaac Newton is credited with the law of universal gravitation. One of the major elements of Newton's discovery (that had not yet been recognized) was the recognition that the force that causes the apple to fall to the Earth is \_\_\_\_.
- a. the same force that causes rain to fall to the Earth  
b. gravity  
c. the same force that causes any two objects in the universe to attract each other  
d. the same force that causes any object on Earth to fall to the Earth
2. According to Newton's law of universal gravitation, which of the following pairs of objects would not experience a mutual force of gravitation?
- a. The Earth and the moon  
b. An apple and the Earth  
c. You and your lab partner  
d. Nonsense! All of the above since all objects experience a mutual force of gravitational pull.
3. The force of gravitation between two objects is \_\_\_\_.
- a. always an attractive force  
b. usually (but not always) an attractive force  
c. a force which is attractive for one object and repulsive for the other  
d. an attractive force on Earth but neither attractive nor repulsive in space  
e. an attractive force which is always balanced by a repulsive force to keep the objects from moving towards each other
4. The force of gravitational attraction between any two objects is \_\_\_\_ to the product of the masses.
- a. directly proportional  
b. inversely proportional  
c. not related
5. The force of gravitational attraction between any two objects is \_\_\_\_ to the square of the separation of the masses.
- a. directly proportional  
b. inversely proportional  
c. not related
6. Suppose that an object weighs 20 Newton on the surface of the earth (a distance of  $R$  from its center). If the same object is located a distance of  $R$  above the Earth's surface (a distance of  $2R$  from its center, i.e. twice as far away), then the force of gravity upon it would be \_\_\_\_ Newton.
- a. 2.22  
b. 5.00  
c. 10.0  
d. 20.0  
e. 40.0

All correct but best is



7. Suppose that an object weighs 90 Newton on the surface of the earth (a distance of  $R$  from its center). If the same object is located a distance of  $2R$  above the Earth's surface (a distance of  $3R$  from its center, i.e. 3 times farther away), then the force of gravity upon it would be \_\_\_\_ Newton.

a. 10.0  
b. 22.5  
c. 30.0  
d. 45.0  
e. 270  
f. 810

3X farther so  $(\frac{1}{3})^2 = \frac{1}{9}$  force

$$F = \frac{Gm_1m_2}{d^2}$$

$$90N \times \frac{1}{9} = 10N$$

8. Physicists use  $g$  to mean \_\_\_\_.
- a. gravitation  
b. force of gravity acting upon an object  
c. acceleration due to gravity  
d. the universal gravitational constant

9. Physicists use  $G$  to mean \_\_\_\_.
- a. gravitation  
b. force of gravity acting upon an object  
c. acceleration due to gravity  
d. the universal gravitational constant

10. Physicists use  $F_g$  to mean \_\_\_\_.
- a. gravitation  
b. force of gravity acting upon an object  
c. acceleration due to gravity  
d. the universal gravitational constant

11. The acceleration of gravity on the surface of the Earth is  $9.8 \text{ m/s/s}$ . As one moves increasingly further from the surface of the Earth, the acceleration of gravity value \_\_\_\_.
- a. increases  
b. decreases  
c. remains the same  
d. ... impossible to tell without knowledge of the mass of the object.

$$g = \frac{GM}{r^2}$$

12. The acceleration of gravity at Mars' surface is  $3.75 \text{ m/s/s}$ . At a height above Mars' surface that is equal to Mars' radius (that is twice as far away from Mars' center) the acceleration of gravity is closest to \_\_\_\_  $\text{m/s/s}$ .

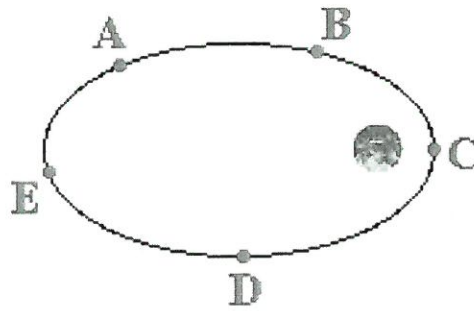
a. 3.75  
b. 1.88  
c. 1.25  
d. 0.94  
e. 0.42  
f. 7.50

2X farther so  $(\frac{1}{2})^2 = \frac{1}{4} g$

$$g = \frac{GM}{r^2}$$

$$3.75 \text{ m/s}^2 \times \frac{1}{4} = .94 \text{ m/s}^2$$

13. The elliptical path of an orbiting satellite is shown below. Several locations along the path are labeled with letters.



Rank these locations in increasing order of speed, beginning with the location of lowest speed.

- a. EADBC  
b. CBDAE  
c. EABCD  
d. CDEAB

E A D B C  
Slow fast

farthest away

14. Which one of the following statements would NOT be consistent with Kepler's three laws of planetary motion?
- The orbit of planets about the Sun are elliptical. <sup>1st</sup>
  - During its orbit about the Sun, a planet will travel fastest when it is nearest the Sun. <sup>2nd</sup>
  - Planets that are furthest from the Sun have longer periods than those that are closer. <sup>3rd</sup>
  - ... nonsense! All of these statements are consistent with Kepler's laws.
15. Kepler's second law of planetary motion is the law of equal areas. Which one of the following statements would be an extension of this law?
- A planet would move at the same speed at all times during its orbit about the Sun.
  - The length of an imaginary line drawn from a planet to the Sun multiplied by the period is equal to the planet's area.
  - The longer the imaginary line from a planet to the Sun, the greater the speed of the planet.
  - Any given planet will travel fastest along its orbital path when it is closest to the Sun.
16. Two masses are gravitationally attracting each other. If one mass is doubled and the other mass is tripled while their separation remains the same, what happens the gravitational force?
- increase 5 times
  - increase 3/2 times
  - increase 2/3 times
  - increase 6 times
  - decrease 36 times

$$F = \frac{Gm_1m_2}{d^2}$$

$$\frac{G(2m_1)(3m_2)}{d^2}$$

$$6\left(\frac{Gm_1m_2}{d^2}\right)$$

17. If the acceleration due to gravity on the Moon's surface is  $1.6 \text{ m/s}^2$ , how much does a  $10.0 \text{ kg}$  mass weigh there?
- 98 N
  - 16 N
  - 6.25 N
  - 8.4 N

$$\begin{aligned} F_w &= mg \\ &= (10.0 \text{ kg})(1.6 \text{ m/s}^2) \\ &= 16 \text{ N} \end{aligned}$$



Puzzles (Please Show Your Work = PSYW)

18. Two students stand 3.0 meters apart on the dance floor. One student has a mass of 52.0 kg and the other a mass of 61.0 kg. Compute the gravitational force the exert on each other. Would they notice this force?

$$F = \frac{G m_1 m_2}{d^2}$$

$$F = \frac{(6.67 \times 10^{-11})(52)(61)}{(3)^2}$$

$$= \frac{0.000000211572}{9}$$

$$= 0.00000023508 \text{ N}$$

$$2.3 \times 10^{-8} \text{ N}$$

$$F = 2.3 \times 10^{-8} \text{ N}$$

Notice? No (too small to notice)

19. Calculate the mass of the International Space Station (ISS) if its orbital radius (distance from Earth's center) is  $6.8 \times 10^6 \text{ m}$ , the mass of the Earth is  $5.98 \times 10^{24} \text{ kg}$  and the force of attraction between the Earth and the ISS is  $3.623 \times 10^6 \text{ N}$ .

$$F = \frac{G m_1 m_2}{d^2}$$

$$3.623 \times 10^6 = \frac{(6.67 \times 10^{-11})(5.98 \times 10^{24}) m_{\text{ISS}}}{(6.8 \times 10^6)^2}$$

$$3.623 \times 10^6 = \frac{3.98866 \times 10^{14} (m_{\text{ISS}})}{4.624 \times 10^{13}}$$

$$(4.624 \times 10^{13})(3.623 \times 10^6) = \frac{(3.98866 \times 10^{14}) \cdot m}{4.624 \times 10^{13}} \left( \frac{4.624 \times 10^{13}}{1} \right)$$

$$\frac{1.6752752 \times 10^{20}}{3.98866 \times 10^{14}} = \frac{3.98866 \times 10^{14} m}{3.98866 \times 10^{14}}$$

$$420,008.5 = m$$

$$4.20 \times 10^5 \text{ kg}$$

$$\text{Mass} = 4.20 \times 10^5 \text{ kg}$$

20. Compute the acceleration due to gravity on the surface of Mercury if the mass of Mercury is  $3.3 \times 10^{23} \text{ kg}$  and its radius is  $2.44 \times 10^6 \text{ m}$ .

$$g = \frac{GM}{r^2}$$

$$g = \frac{(6.67 \times 10^{-11})(3.3 \times 10^{23} \text{ kg})}{(2.44 \times 10^6)^2}$$

$$g = \frac{2.2011 \times 10^{13}}{5.9536 \times 10^{12}}$$

$$g = 3.6971 \text{ m/s}^2$$

(less than Earth... makes sense.)

$$g = 3.7 \text{ m/s}^2$$

21. Europa, a moon of Jupiter, likely has a liquid water ocean under its icy surface (Some have hope that this ocean harbors life!). It takes Europa 306,000 s (85 hours) to orbit Jupiter once at a distance of 607,900 km (607,900,000 m) from Jupiter's center. Calculate the mass of Jupiter.

$$\left( \frac{M}{1} \right) T^2 = \frac{4\pi^2 R^3 \left( \frac{M}{1} \right)}{GM}$$

$$\left( \frac{1}{42} \right) M T^2 = \frac{4\pi^2 R^3 \left( \frac{1}{72} \right)}{G}$$

$$M = \frac{4\pi^2 R^3}{G T^2}$$

$$M = \frac{4(\pi)(\pi)(607,900,000)^3}{(6.67 \times 10^{-11})(306,000)^2}$$

$$= 8.8686 \dots \times 10^{27}$$

$$6.2455212$$

$$= 1.41999 \times 10^{27} \text{ kg}$$

(large, larger than Earth's mass, makes sense for planet Jupiter.)

Mass =

$$1.42 \times 10^{27} \text{ kg}$$