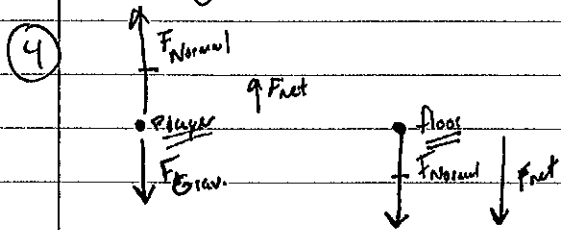


# AP Physics Chapter 7 Conceptual Questions (4-7, 11, 12, 15)



⑤ Equal to. 3<sup>rd</sup> law  $\rightarrow$  forces equal - accelerations don't have to be equal though!

⑥ Larger. Same force but less mass so larger accel.

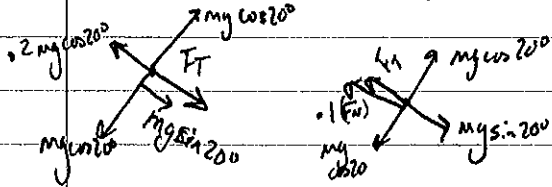
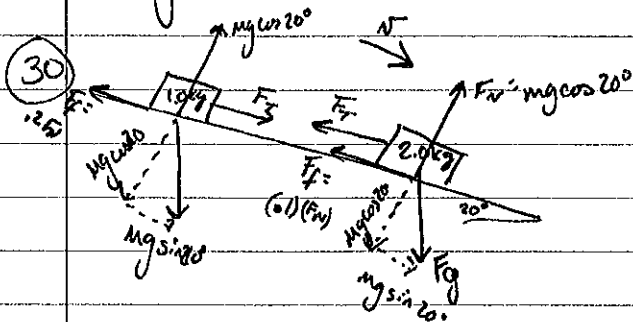
⑦ Equal forces

⑪ ~~5 kg~~ 5 kg - same free body diagram for ~~each~~ scale as if it were attached to ceiling.

⑫ 5 kg

⑮ case b acceleration is greater b/c less mass being accelerated by same force

AP Physics Chapter 7 E&P (30, 33-36)



m = 1 kg

$$\sum F = ma$$

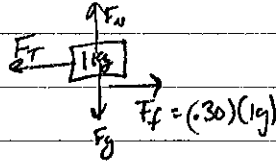
$$F_T + g \sin 20^\circ - .2g \cos 20^\circ = a$$

m = 2 kg

$$.2g \sin 20^\circ - F_T - .1(2g \cos 20^\circ) = 2a$$

substitution a →

34 cont.  $20 N - (.30)(3g) - .30(1g) - F_T = 2a$



$$F_T - .30(1g) = 1a$$

$$F_T = a + .30(1g)$$

$$20 N - .30(3g) - .30(1g) - a - .30(1g) = 2a$$

$$20 - .30(5g) = 3a$$

$$5.3 = 3a$$

$$a = 1.76$$

$$1.8 \text{ m/s}^2$$

see last page

$$.2g \sin 20^\circ - F_T - .2g \cos 20^\circ = 2(F_T + g \sin 20^\circ - .2g \cos 20^\circ)$$

$$.2g \sin 20^\circ - .4F_T - .1g \cos 20^\circ = F_T + g \sin 20^\circ - .2g \cos 20^\circ$$

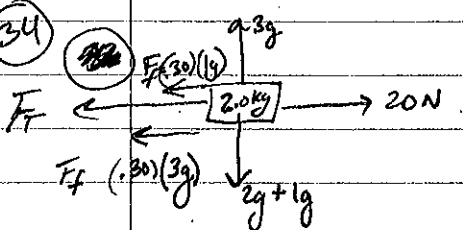
$$\frac{1}{2} F_T + .1g \cos 20^\circ = 0$$

$$F_T = -2(.1g \cos 20^\circ)$$

$$F_T = 1.8 \text{ N}$$

oops ↓

34



$$\sum F = ma$$

$$20 N - (.30)(3g) - (.30)(1g) = 2a$$

$$8.24 = 2a$$

$$a = 4.12 \text{ m/s}^2 \text{ doh!}$$

I forgot the tension backward!

33

$$\Delta x = v_i t + \frac{1}{2} a t^2$$

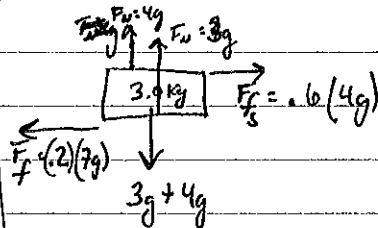
$$\Delta x = \frac{1}{2} a t^2$$

$$\frac{2x}{t^2} = a$$

$$x = 5$$

$$\frac{10}{t^2} = a$$

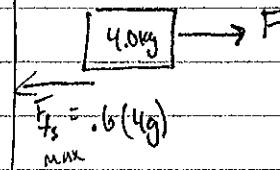
Lower Block



$$F_f = .6(4g) - .2(7g) = 3a$$

(remember  $F_{f, \text{max}} = \mu F_N$  but it may not be at max. since want time to be small.)

Upper Block



$$F - .6(4g) = 4a$$

if ~~no slip~~ ~~then~~  
if ~~that is true~~  
if ~~that is true~~

→

33 cont

L.B.  $.6(4g) - 2(7g) = 3a$   
 $9.8 = 3a \quad a = 9.8/3$

U.B.  $F - .6(4g) = 4a$   
 $F - 23.52 = 4a$   
 $F - 23.52 = 4(9.8/3)$   
 $F = 36.58\bar{6} \text{ N}$

$\sum F = \rightarrow \text{thru}$   
 $36.58\bar{6} - 23.52 = 4a$   
 $a = 3.2\bar{6}$

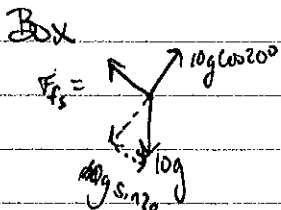
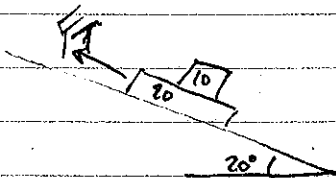
$\sum a = \rightarrow$   
 $a = \frac{10 \text{ m}}{t^2} = 3.2\bar{6}$

$t = 1.75 \text{ sec}$   
 Whew!

(35) Recognize box will slip when static friction just beyond max.

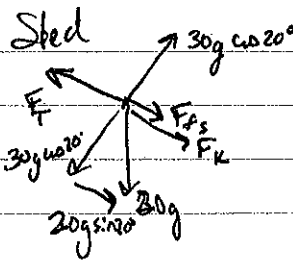
so  $F_{fs} = F_{fs, \text{max}} = \mu_s F_N$

$\mu_s = .50$  Wood on wood pg 163  
 $\mu_s = .06$   
 $\mu_k = .06$  wood on snow pg 163



$\sum F = ma$   
 $F_{T, \text{max}} - 10g \sin 20^\circ = 10a$

$(.50)(10g \cos 20^\circ) - 10g \sin 20^\circ = 10a$



$\sum F = ma$   
 $F_T - 20g \sin 20^\circ - F_{fs} - F_k = 20a$

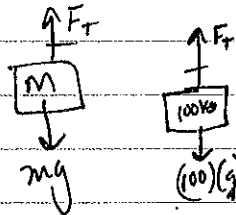
$F_T - 20g \sin 20^\circ - .50(10g \cos 20^\circ) - .06(30g \cos 20^\circ)$   
 $F_T - 67.036 - 16.576 = 20a$   
 $F_T - 100.554 - 46.045 - 55.254 = 20a$   
 $F_T - 129.653 = 20a$

Sled  
 Box  
 $12.527 = 10a$   
 $a = 1.2527 \text{ m/s}^2$

$F_T = 155 \text{ N}$

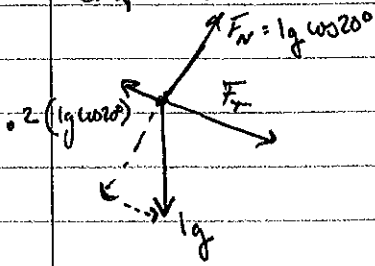
I made two errors  
 1) wrong  $\mu_k$  for snow & wood  
 2) assuming downhill weight for sled was  $30(9.8)$  ... box does push sled downhill, but through  $F_{fs}$   $\rightarrow$  I sort of counted it twice the first go around.

(36)  $v_i = 0 \quad v_{\text{Ave}} = 1/2 v_f \quad t = 60 \text{ s}$   
 $v_f = ? \text{ m/s} \quad x = 6 \text{ m} \quad a = 0.05 \text{ m/s}^2$



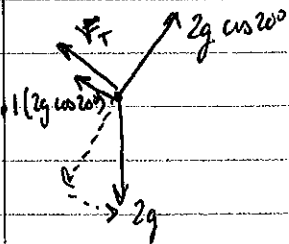
$100(g) - F_T = 100(.05)$   
 $F_T - mg = m(.05)$   
 $100(g) - mg = 100(.05) + m(.05)$   
 $974.4 = mg + m(.05)$   
 $974.4 = m(9.85)$   
 $m = 98.87$   
 $99 \text{ kg}$

Chap 7 #30



$$F_T + lg \sin 20^\circ - 2(lg \cos 20^\circ) = 1a$$

$$F_T + 1.51 = a$$



$$2g \sin 20^\circ - F_T - 1(2g \cos 20^\circ) = 2a$$

$$4.8618 - F_T = 2a$$

$$F_T + 1.51 = a$$

$$6.3718 = 3a$$

$$a = 2.12 \text{ m/s}^2$$

$$F = 0.614 \text{ N}$$